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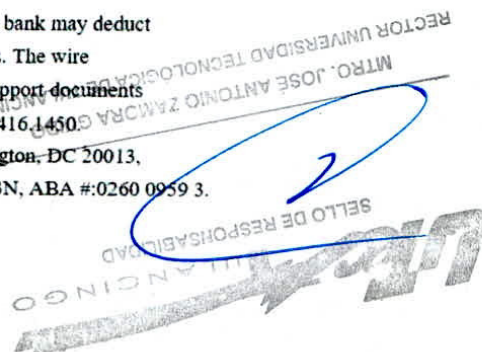
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placed on a cover-slip, for this case it was necessary to wait for the flow to stabilize, the parallel patterns show the deformation generated on the original pattern (see Figure 4 (a)). In Figure 4(b) the unwrapped phase is shown. Figure 5 shows the case of an oil drop, placed by the same procedure on a cover-slip. Figure 5 (a) shows the parallel patterns obtained in a single capture of the camera and in Fig. 5(b) we present the phase map; in this case, it can be seen that the oil introduces a larger phase difference because its refractive index is greater than that of the water, for this reason, the frequency of the fringes is greater. In these cases, the relative phase shift calculated by the algorithm is 75.31 degrees. The patterns with this symmetry allow the study of spherical surfaces and lenses, to validate it, a lens with a focal distance $f = 30$ mm was placed in one of the MZI arms and its corresponding adjustments were made [22-24,32]. The results obtained are shown in Fig. 6. Due to the change in the size of the patterns, small adjustments were made in the zoom focus of the CMOS camera and the angles of the polarizers. Figure 6(a) shows the obtained parallel patterns in Fig. 6(b) we present the recovered phase map. It can be seen that the phase introduced by the sample has small irregularities due the low quality of the tested lens.

With the purpose of showing the capability of the optical system to process dynamics events, the dynamic phase evolution of water moving for gravity on a microscope slide is showed in Fig. 7. It is important to clarify that the results are obtained using an optical table without pneumatic suspension and the used polarized array is formed by recycled polarized film placed at arbitrary angles, which presents the advantage of not using micro-polarized array. These results show that dynamic phase objects can be analyzed with the proposed optical system. Figure 7(a) shows a representative frame of the temporal evolution of parallel interferograms (Visualization 1). In Visualization 2 is possible to see the temporal evolution of the phase map, Fig. 7(b) shows a representative frame.

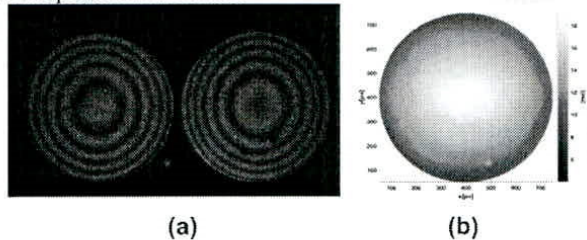


Fig. 3. Typical interferogram. (a) Parallel interferogramas. (b) Phase map.

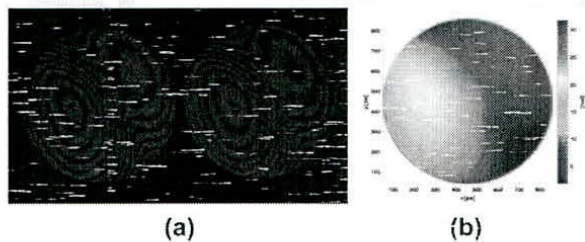


Fig. 4. Water drop. (a) Parallel interferograms. (b) Phase map.

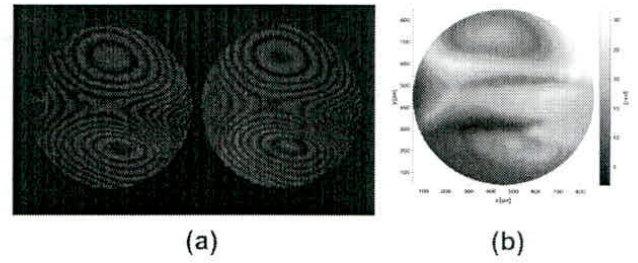


Fig. 5. Oil drop. (a) Parallel interferograms. (b) Phase map.

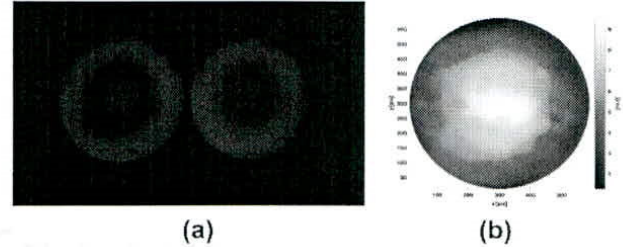


Fig. 6. Lens. (a) Parallel interferograms. (b) Phase map. Relative shift: 31.57 degrees.

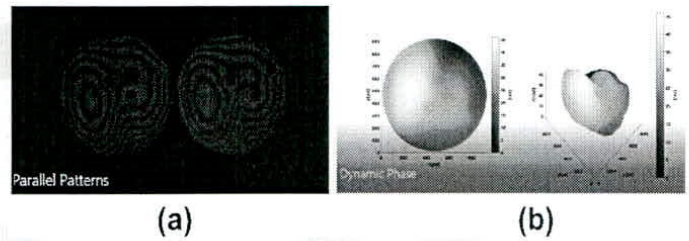


Fig. 7. Dynamic phase object. (a) Parallel interferograms (Visualization 1). (b) Optical phase of water fluid (Visualization 2).

4.1 Spiral and fork fringes

In previous reports [49], it has been shown that patterns can be generated with spiral symmetries without using a Bessel beam. In the results presented in Figure 8, the spirals that are generated when a phase step is introduced obstructing the half of the beam in one of the arms of the MZI. The differences between Figure 8(a) and 8(b) are due to the inclination of the phase-step with respect to the optical axis. These experimental results show that, when tilting the phase step, spirals within the two arms are generated, as shown in Figure 8(a), and with one arm, as shown in Figure 8(b). Fig. 8(a) shown the case of topological charge of two, and Fig. 8(b) can be associated with a topological charge of one, in both case is shown that also have Fork fringes, which is useful if they are to be used as optical traps, since these Fork Fringes represent an optical vortex in the optical phase of the wavefront.

The interferograms with radial symmetry allow to easily generate this type of spiral fringes, which can be applied in other areas as optical traps, these results are useful to know the sign of the phase [49-50].

systems is to recover the optical phase to be able to calculate characteristics of the incident wavefront or physical properties of transparent samples. The main purpose of this work is to measure variations of phase maps of transparent objects using two interference patterns with unknown phase shift in one shot. The configuration is based on a radial shear polarized Mach-Zehnder interferometer (MZI) that generates a base pattern with known polarization properties [30-31] and a cyclic path interferometer for replication purposes. Experimental results of different static transparent samples, such as an oil drop and a lens are obtained. For the study of dynamic events, experimental results of temporal variations of a water drop placed on a slide moving for gravity are presented.

2. INTERFEROMETRIC SYSTEM DESIGN AND BASIC PRINCIPLE

Figure 1 shows the diagram of the polarized parallel phase shifting interferometer. A spatially filtered polarized plane wavefront linearly polarized at 45 deg is coming from a laser operating at 532 nm. This wavefront is incident at the polarizing beam splitter (PBS) of a Mach-Zehnder interferometer (MZI). In each arm of the interferometer a Galilean's telescope (Gt₁ and Gt₂) is placed. In one arm, the telescope is inverted with respect to the other [39] to reduce the size of the incident beam. The expanded and contracted polarized wavefronts recombine at the beam splitter (BS) to give radially sheared wavefronts with orthogonal circular polarizations (pattern base, $P_b(x, y)$). The $P_b(x, y)$ enters to the cyclic trajectory system where the incident pattern is divided in amplitude, (a) a pattern is reflected and follows the M₃-M₄-BS trajectory and emerges from the system, and (b) the other pattern is transmitted following the M₄-M₃-BS trajectory and emerges from the system, both patterns enter the PA to generate patterns with visible fringes and arbitrary phase shifts.

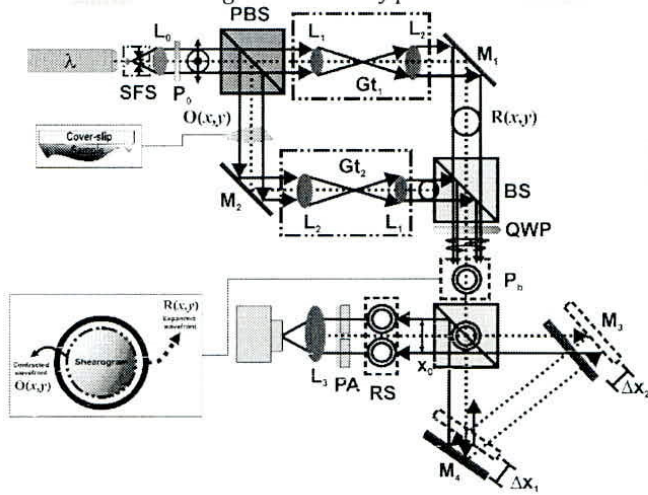


Fig. 1. Parallel phase shifting radial shear interferometer. SFS: Spatial Filtering system. L₀: Collimating lens. P₀: Polarizer. PBS: Polarizer beam splitter. Gt₁, Gt₂: Galilean telescope. L₁, L₂: Telescope lenses. M: Mirrors. BS: Beam splitter. QWP: Quarter Wave Plate. x₀: Beam separation. Mirror displacements: Δx₁, Δx₂. RS: Replication stage. PA: Polarizing array. L₃: imaging lens. O(x,y): Sample. R(x,y): Reference beam. P_b: pattern base

2.1. Radial shear phase shifting interferometry

In the first stage of the implemented system, the polarizing beam splitter transmits the horizontally polarized beam and reflects the vertically polarized beam. The separated beams recombine at the output and pass through the quarter-wave plate (QWP) placed at 45

degrees with respect to the axial axis. The radially sheared wavefronts have opposite circular polarization and its beam sections are $O(x, y) = circ[\rho/M_a] \cdot \exp\{i\phi(x/M_a, y/M_a)\}$ and $R(x, y) = circ[\rho] \cdot \exp\{i\phi(x, y)\}$ [38-39]. The amplitude $P_b(x, y)$ of the output of MZI is given by

$$P_b(x, y) = J_L \cdot O(x, y) + J_R \cdot R(x, y) \quad (1)$$

where $\rho = x^2 + y^2$ and $M_a = 1/R$ denotes the relative magnification of the pupils and J_L y J_R the matrix of circular polarizations to left and right respectively. Figure 2 shows the stages of generation of parallel interferograms where at the first stage, the system does not generate an interference pattern, this is observed in figure 2(a). In order to observe an interferogram, it is necessary to place a linear polarizer to verify that the two beams interfere, see Fig. 2(b). This is because the beams have cross-circular polarizations, which, when interfered, generate a constant intensity field that does not have a fringe pattern [30-31], this can be seen in equation (1),

$P_b(x, y)^2 = cte$. However, this pattern maintains the polarization properties required to generate phase shifts by placing a linear polarizer. Thus, by placing the auxiliary polarizer and rotating it at any angle ψ , an interference pattern can be observed maintaining a constant amplitude modulation [31]. This is, when each field is observed through a linear polarizing filter, whose transmission axis is at angle ψ , the new polarization states are:

$$B(x, y) = P_\psi \cdot \left[\frac{1}{2} \begin{pmatrix} 1 \\ 1 \\ i \end{pmatrix} \cdot O(x, y) + \frac{1}{2} \begin{pmatrix} 1 \\ 1 \\ -i \end{pmatrix} \cdot R(x, y) \right], \quad (2)$$

where P_ψ is the matrix of the linear polarizer with axis of transmission at angle ψ , given by

$$P_\psi = \begin{pmatrix} \cos^2 \psi & \sin \psi \cos \psi \\ \sin \psi \cos \psi & \sin^2 \psi \end{pmatrix}, \quad (3)$$

the irradiance distribution of an interferogram obtained by MZI with magnification M_a can be expressed as:

$$I(x, y) = a + b + 2ab \cos[2 \cdot \psi - \Delta\phi(x, y)] \quad (4)$$

where a and b , correspond to the irradiance of the object and the reference beam respectively, and $\Delta\phi(x, y)$ is the phase difference between these beams, $\Delta\phi(x, y) = \phi(x, y) - \phi(x/M_a, y/M_a)$. The term $2 \cdot \psi$ is the phase shift (ξ) introduced for the auxiliary polarizer. The pattern base $P_b(x, y)$ enters a cyclic trajectory system that does not operate as an interferometer, instead, it is used to generate two replicas of the incident $P_b(x, y)$, as shown in fig. 2(c). In order to observe the two interferograms it is necessary to place an auxiliary polarizer as shown in fig. 2(d). The cyclic path system allows to separate the replicas a distance (x_0) by moving the mirror distances $\Delta x_1, \Delta x_2$, see Fig. 2(e). To align the patterns in the xy axis, it is necessary to introduce tilt in the mirrors M₃-M₄ of the system as shown in Fig. 2(f). At this stage, we can generate two replicas that propagate collinearly, and therefore do not distort from other aberrations due to the replication system, as it would be the case diffractive elements or holographic masks [30-31]. In the replication stage (RS), the two generated patterns by the cyclic path system pass through the polarizers array (PA), which is formed by linear polarizers placed at arbitrary angles and allows to us to generate parallel interferograms

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6.3 Disclosures

The authors declare no conflicts of interest.

7. REFERENCES

1. D. S. Brown, in *Interferometry*, Symposium 11 at National Physical Laboratory, London, England, 1959 (Her Majesty's Stationary Office, London, 1960), pp. 253.
2. P. Hariharan, D. Sen, Radial shearing interferometer *J. Sci. Instrum.* 38, 1961, pp. 428-432.
3. D. S. Brown, Radial shear interferometry *J. Sci. Instrum.* 39, 1962, pp. 71-72.
4. W. H. Steel, A radial shear interferometer for testing microscope objectives, *J. Sci. Instrum.* 42, 1965, pp. 102-104.
5. P. Hariharan B. F. Oreb Z. Wanzhi, Measurement of aspheric surfaces using a microcomputer controlled digital radial-shear interferometer, *Jour. Mod. Optics*, 31, 1984, pp. 989-999.
6. W. W. Kowalik B. E. Garncarz H. T. Kasprzak, Corneal topography measurement by means of radial shearing interference: part I- theoretical considerations, *Optik*, 113, 2002, pp. 39-45.
7. W. W. Kowalik B. E. Garncarz H. T. Kasprzak, Corneal topography measurement by means of radial shearing interference: part II- measurements errors, *Optik*, 114, 2003, pp. 199-206.
8. N. Gu, L. Huang, Z. Yang, R. Changhui, A single-shot common-path phasestepping radial shearing interferometer for wavefront measurements. *Optics Express*, 19, 2011, pp. 4703-4713.
9. D. Cheung, T. Barnes, T. Haskel, Feedback interferometry with membrane mirror for adaptive optics. *Optics Communication*, 218, 2003, pp. 33-41.
10. T. Shirai, T. H. Barnes, T. G. Haskell, Adaptive wave-front correction by means of all-optical feedback interferometry. *Optics Letters*, 25, 2000; pp. 773-775.
11. N. Gu, L. Huang, Z. Yang, Q. Luo, C. Rao, Modal wavefront reconstruction for radial shearing interferometer with lateral shear. *Optics Letters*, 36, 2011, pp. 3693-3695.
12. D. Liu, Y. Yang, L. Wang, Y. Zhuo, Real time diagnosis of transient pulse laser with high repetition by radial shearing interferometer. *Applied Optics*, 46, 2007, pp. 8305-8314.
13. Cristina Hernandez-Gomez, John L. Collier, Steve J. Hawkes, Colin N. Danson, Chris B. Edwards, Dave A. Pepler, Ian N. Ross, and Trevor B. Winstone, "Wave-front control of a large-aperture laser system by use of a static phase corrector," *Appl. Opt.* 39, 1954-1961 (2000).
14. M. V. R. K. Murty, A compact radial shearing interferometer based on the law of refraction, *Appl. Opt.*, 3, 1964, pp. 853-857.
15. M. V. R. K. Murty, Radial shearing interferometers using a laser source *Appl. Opt.*, 12, 1973, pp. 2765-2767.
16. J. C. Fouéré, D. Malacara, Holographic radial shear interferometer *Appl. Opt.*, 19, 1974, pp. 2035-2039.
17. R. N. Smartt, Zone plate interferometer. *Applied Optics*, 13, 1974, pp. 1093-1099.
18. R. P. Shukla, M. Moghbel, and P. Venkateswarlu, "Compact in-line laser radial shear interferometer," *Appl. Opt.*, 31, 1992, pp. 4125-4131.
19. J. M. Geary, Wavefront sensors, C.IV in *Adaptive Optics Engineering Handbook* R. K. Tyson Ed., 2000, pp. 123-150.
20. R. A. Hutchin, Combined shearing interferometer and Hartmann wavefront sensor *Pat. Num.* 4518854, 1985.
21. R. F. Horton, Design of a white light radial shear interferometer for segmented mirror control *Opt. Engineer.*, 27, 1988, pp. 1063-1066.
22. D. Malacara, Mathematical interpretation of radial shearing interferometers *Appl. Opt.*, 13, 1974, pp. 1781-1784.
23. D. Malacara, "Optical Shop Testing," 3rd Edition, (New York: Wiley, 2007).
24. P. Hariharan, "Basics of Interferometry," (Elsevier Inc. 2007).
25. M. V. Mantravadi, Radial rotational and reverse shear interferometers *Optical Shop Testing Ed. Wiley* (New York 1992).
26. E. López-Lago R. de la Fuente, Amplitude and phase reconstruction by radial shearing interferometry *Appl. Opt.*, 2008, 47, pp. 372-376.
27. D. Malacara, M. Servin, Z. Malacara, Phase detection algorithms in *Interferogram Analysis for Optical Testing* Marcel Dekker (New York, 1998)
28. M. P. Kothiyal C. Delisle, Shearing interferometer for phase shifting interferometry with polarization phase shifter *Appl. Opt.*, 24, 1985, pp. 4439-4442.
29. K. Creath, Phase-measurement interferometry techniques, Vol. 26 in *Progress in Optics* E. Wolf, Eds (North-Holland, 1998) pp. 349-393.
30. J. C. Wyant, Dynamic Interferometry, *Optics & Photonics News*, 14(4), 2003, pp. 36-41.
31. N.I. Toto-Arellano, 4D measurements of biological and synthetic structures using a dynamic interferometer, *J. Mod. Opt.*, 2017, pp. 1-10.
32. D. I. Serrano-García, N.I. Toto-Arellano, A. Martínez-García and G. Rodríguez Zurita, Radial slope measurement of dynamic transparent samples, *J. Opt.* 14(4), 2012, pp. 045706.
33. M. Novak, J. Millerd, N. Brock, M. North-Morris, J. Hayes, and J. Wyant, Analysis of a micropolarizer array-based simultaneous phase-shifting interferometer, *Appl. Opt.* 44, 2005, pp. 6861-6868.
34. N. I. Toto-Arellano, G. Rodríguez-Zurita, C. Meneses-Fabian, and J. F. Vazquez-Castillo, Phase shifts in the Fourier spectra of phase gratings and phase grids: an application for one-shot phase-shifting interferometry, *Opt. Express* 16, 2008, pp. 19330-19341.
35. K. L. Baker and E.A. Stappaerts, A single-shot pixelated phase-shifting interferometer utilizing a liquid-crystal spatial light modulator *Opt. Lett.*, 31, 2006, pp. 733-735.
36. Z. Wang, S. Wang, P. Yang, B. Xu, Radial Shearing Interferometer Based on a Cosinusoidal Zone Plate, *IEEE Photonics Technology Letters*, 31(13), 2019, pp.1116 - 1119.
37. C. Hernandez-Gomez, J. L. Collier, S. J. Hawkes, N. Danson, C. B. Edwards, D. A. Pepler, I. N. Ross and T. B. Winstone, Wave-front control of a large-aperture laser system by use of a static phase corrector *Appl. Opt.*, 39, 2000, pp. 1954-1961.
38. A. R. Ganesan, D. K. Sharma and M. P. Kothiyal, Universal digital speckle shearing interferometer *Appl. Opt.*, 27, 1988, pp. 4731-4734.
39. E. P. Goodwin and J. C. Wyant, *Field Guide to Interferometric Optical Testing*, SPIE Press, Bellingham, WA (2006).
40. J. Vargas, J. A. Quiroga, C. O. S.Sorzano, J. C. Estrada, J. M. Carazo, Two-step demodulation based on the Gram-Schmidt orthonormalization method. *Optics letters*, 37(3), 2012, pp. 443-445.
41. Flores, V. H., & Rivera, M. (2020). Robust two-step phase estimation using the Simplified Lissajous Ellipse Fitting method with Gabor Filters Bank preprocessing. *Optics Communications*, 125286.
42. Quiroga, J. A., & Servin, M. (2003). Isotropic n-dimensional fringe pattern normalization. *Optics communications*, 224(4-6), 221-227.
43. Trusiak, M., & Patorski, K. (2015). Two-shot fringe pattern phase-amplitude demodulation using Gram-Schmidt orthonormalization with Hilbert-Huang pre-filtering. *Optics express*, 23(4), 4672-4690.
44. Reyes-Figueroa, A., & Rivera, M. (2019). Deep neural network for fringe pattern filtering and normalisation. *arXiv preprint arXiv:1906.06224*.
45. V. H. Flores, M. Rivera, Computation of the phase step between two-step fringe patterns based on Gram-Schmidt algorithm. *arXiv preprint arXiv:1903.04595*, 2019.
46. N.-I. Toto-Arellano, D.I. Serrano-García, G.R. Zurita, A.M. Pérez, G. Parra-Escamilla, Temporal measurements of transparent samples with four simultaneous interferograms by using a Mach-Zehnder Interferometer, *Optics Communications*, 429, 2018, pp 0-7.
47. Noel-Ivan Toto-Arellano, Víctor H. Flores-Muñoz, and Belen Lopez-Ortiz, "Dynamic phase imaging of microscopic measurements using parallel interferograms generated from a cyclic shear interferometer," *Opt. Express* 22, 20185-20192 (2014)



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